

Status of directivity study

NGA USGS REVIEW WORKSHOP

Paul Spudich

9/25/06

Testing these nonpolarized predictors for various subsets of the data:

0 (*no directivity*)

$\ln(\tilde{c}')$

$\ln(\tilde{c}' \bar{D})$, where $\bar{D} = D / \sqrt{L^2 + W^2}$

$\ln(\tilde{c}' \bar{D} |\vec{R}|)$, where $|\vec{R}| = \sqrt{R_{fn}^2 + R_{fp}^2}$

$X \cos(\theta)$

$Y \cos(\phi)$

Goal is to develop a directivity correction that can be added to a developer's prediction

I fit a directivity predictor P_{rq} for record r and quake q to developer's intraevent residuals Y_{rq} to determine a coefficient s :

$$Y_{rq} = k_q + s P_{rq}$$

k_q are dummy "directivity event terms" for each quake

s is the desired slope of the relation

Then if G_{rq} is the observed ground motion and F_{rq} is the developer's prediction, we have

$$G_{rq} = F_{rq} + K + s P_{rq} + e_{rq} \text{ (erq = error)}$$

The K that minimizes the s.d of e_{rq} is

$$K = \text{mean}(G_{rq} - F_{rq} -s P_{rq})$$

We have

$$G_{rq} = F_{rq} + K + s P_{rq} + e_{rq} \quad (e_{rq} = \text{error})$$

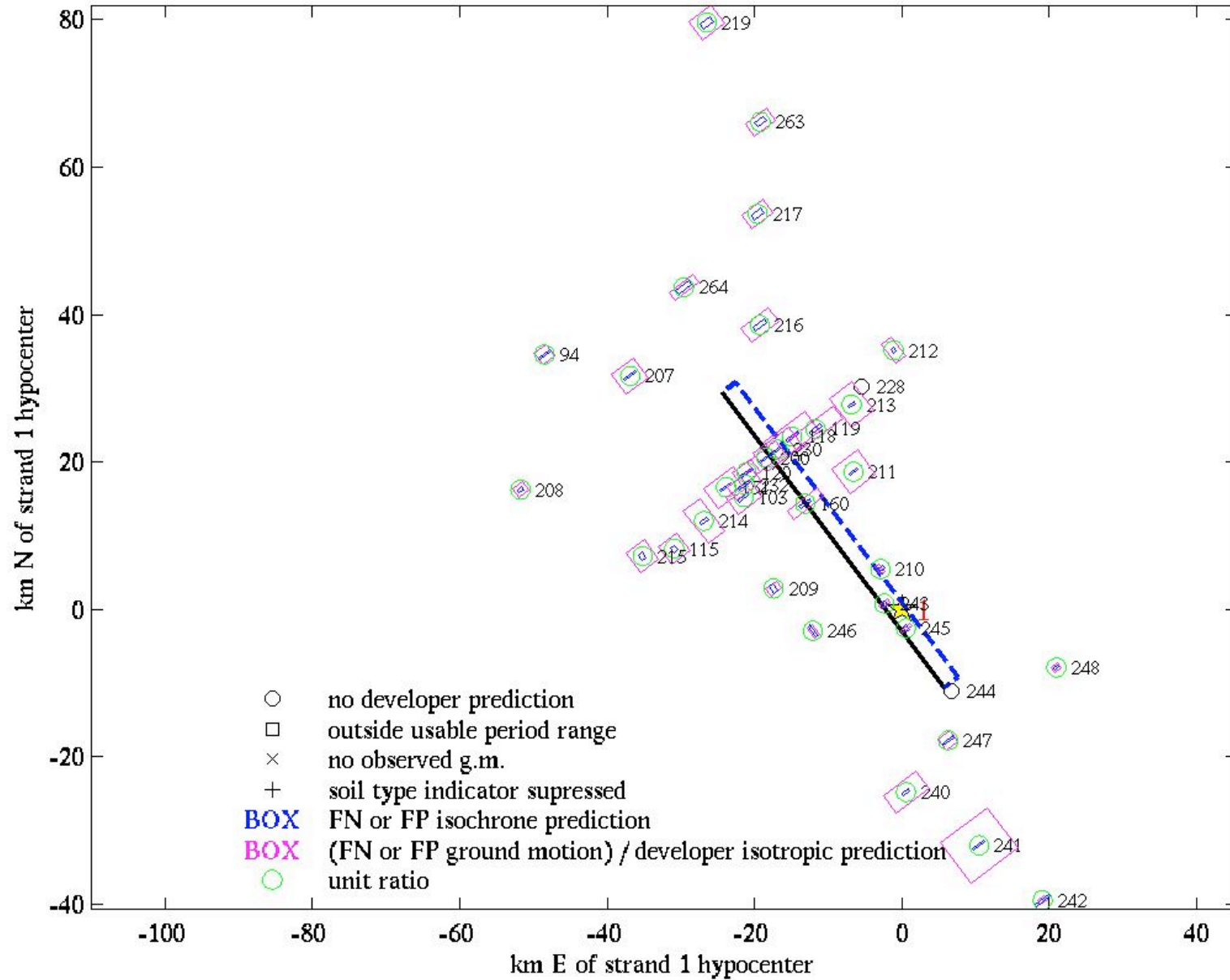
$$e_{rq} = (G_{rq} - F_{rq}) - K - s P_{rq} = \text{residual from directivity prediction}$$

σ_e = standard deviation of e_{rq} for a particular directivity prediction

σ_o = standard deviation of e_{rq} for the null directivity prediction

I display $\sigma_e/\sigma_o - 1$

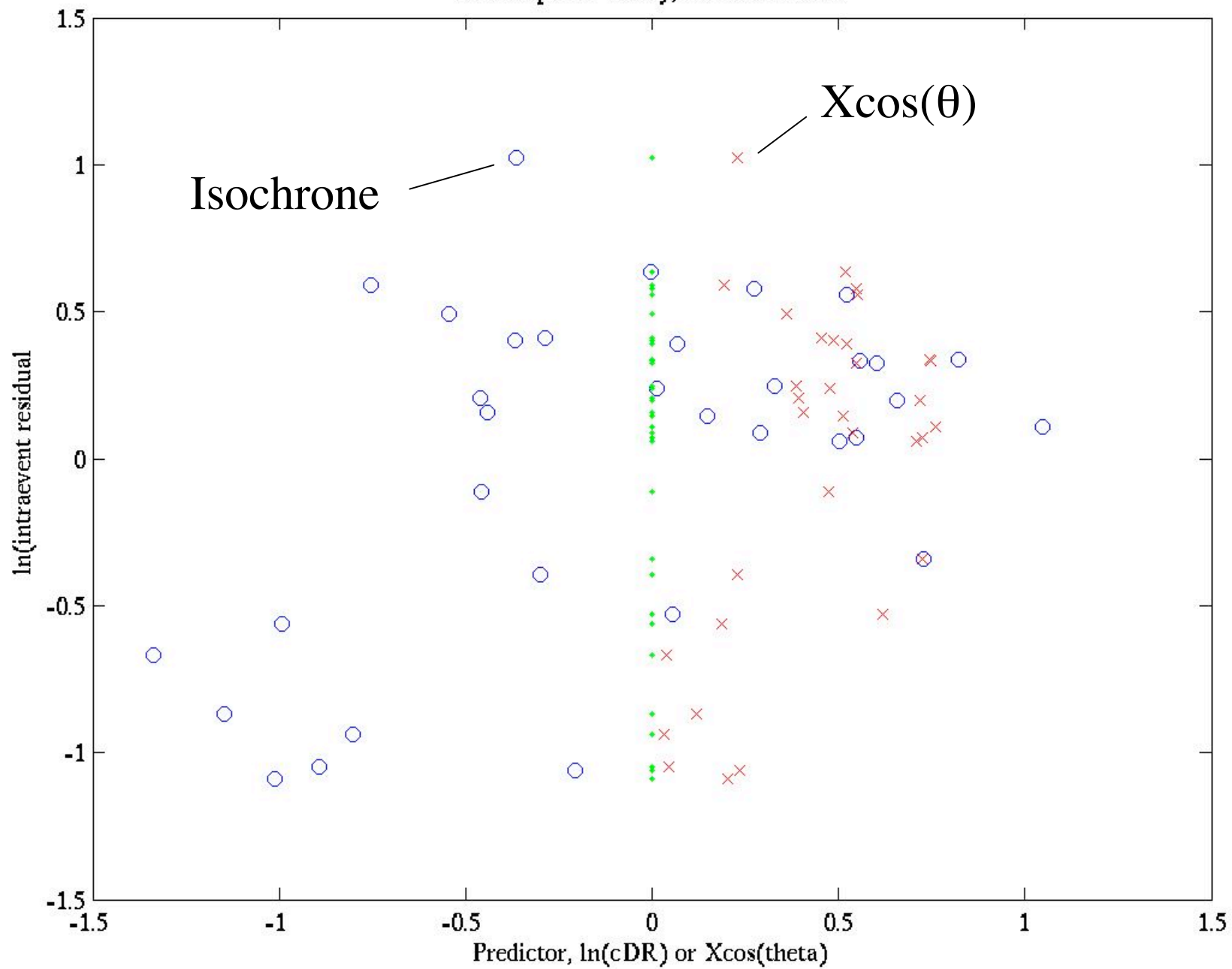
IDP vs data/pred ratio for # 50, Imperial Valley-06, rjb <= 200 Developer C&B, event term included 3 s , Dfloor=0.1, rwl=, wlfloor=0.



1979 Imperial Valley only, 0-60 km Rjb

BA		CB		CY		
1s	3s	1s	3s	1s	3s	
0	0	0	0	0	0	0
-0.0146	-0.0418	-0.0019	-0.0028	-0.0137	-0.0006	$\ln(\tilde{c}')$
-0.0007	-0.0718	-0.0002	-0.1131	-0.0025	-0.0740	$\ln(\tilde{c}'\bar{D})$
-0.0028	-0.0627	-0.0007	-0.1205	-0.0000	-0.0911	$\ln(\tilde{c}'\bar{D} \bar{R})$
-0.0153	-0.0346	-0.0009	-0.1372	-0.0000	-0.1213	$X \cos(\theta)$
-0.0689	-0.0496	-0.0002	-0.0016	-0.0216	-0.0292	$Y \cos(\phi)$

1979 Imperial Valley, CB 3s residuals



junkeps

Trying to reproduce Somerville et al results, using their earthquake list and rupture distance interval:

```
6 % imperial 1940
12 % kern county
25 % parkfield 1966
30 % san fernando
41 % gazli
45 % santa barbara
46 % tabas
50 % imperial 1979
76 % coalinga
90 % morg hill
97 % nahanni
101 % north palm springs
113 % whittier
116 % sup hills 2
118 % loma prieta
125 % landers
127 % northridge
129 % kobe
```


all **SS** Somerville et al events, **dip>70.5**, 0-50 km Rrup

BA		CB		CY		
1s	3s	1s	3s	1s	3s	
0	0	0	0	0	0	0
-0.0099	0.0104	0.0052	0.0098	-0.0026	-0.0059	$\ln(\tilde{c}')$
-0.0103	0.0130	-0.0028	0.0159	-0.0007	0.0245	$\ln(\tilde{c}'\bar{D})$
-0.0069	0.0186	-0.0035	0.0201	-0.0024	0.0289	$\ln(\tilde{c}'\bar{D} \bar{R})$
-0.0002	0.0272	-0.0001	0.0275	-0.0007	0.0348	$X \cos(\theta)$
-0.0429	-0.0252	-0.0003	0.0003	-0.0033	-0.0141	$Y \cos(\phi)$

Xcos(theta) does not fit Somerville earthquakes and NGA residuals!

Why doesn't $X\cos(\theta)$ work for Somerville's data set?

?? They fit interevent residuals with respect to Abrahamson and Silva (1997) predictions

I have not yet verified that I can get the same result if I use A&S97 predictions

First test, SS and DS events with good azimuthal coverage,
 $0 \leq R_{jb} \leq 200$ km, developers BA, CB, CY, 1s, 3s

```
30 % san fernando
48 % coyote lake
50 % imperial vy
68 % irp1
69 % irp2
73 % westmorland
90 % morg hill
101 % north palm springs
102 % chalfant 1
103 % chalfant 2
113 % wne
116 % sup hills 2
118 % loma prieta
125 % landers
127 % northridge
129 % kobe
136 % kocaeli
137 % chichi
138 % Duzce
144 % manjil
145 % Sierra madre
152 % little skull mtn
158 % hector
169 % Denali
```

all good events, SS and DS, 0-200 km Rjb

BA		CB		CY		
1s	3s	1s	3s	1s	3s	
0	0	0	0	0	0	0
0.0004	-0.0003	-0.0001	0.0025	-0.0026	-0.0013	$\ln(\tilde{c}')$
0.0079	0.0126	0.0045	0.0207	-0.0013	-0.0066	$\ln(\tilde{c}'\bar{D})$
0.0067	0.0112	0.0044	0.0209	-0.0005	-0.0081	$\ln(\tilde{c}'\bar{D} \bar{R})$
-0.0019	-0.0023	-0.0056	-0.0022	0.0003	0.0097	$X \cos(\theta)$
-0.0005	0.0004	0.0012	0.0017	0.0028	0.0001	$Y \cos(\phi)$

No directivity model does well with NGA residuals for earthquakes having good azimuthal distribution.

all events dip<70.5 (DS), 0-200 km Rjb

BA		CB		CY		
1s	3s	1s	3s	1s	3s	
0	0	0	0	0	0	0
0.0024	-0.0110	0.0039	-0.0173	-0.0017	-0.0038	$\ln(\tilde{c}')$
0.0011	0.0077	0.0013	0.0132	0.0001	0.0213	$\ln(\tilde{c}'\bar{D})$
-0.0008	0.0075	-0.0004	0.0128	-0.0017	0.0223	$\ln(\tilde{c}'\bar{D} \vec{R})$
0.0016	0.0038	-0.0021	0.0111	-0.0014	0.0249	$X \cos(\theta)$
0.0132	0.0233	0.0029	0.0130	0.0013	-0.0142	$Y \cos(\phi)$

all events dip>70.5 (SS) , 0-50 km Rjb

BA		CB		CY		
1s	3s	1s	3s	1s	3s	
0	0	0	0	0	0	0
-0.0033	0.0070	0.0007	0.0091	-0.0031	-0.0050	$\ln(\tilde{c}')$
-0.0097	-0.0004	-0.0054	0.0096	-0.0030	0.0214	$\ln(\tilde{c}'\bar{D})$
-0.0049	0.0070	-0.0048	0.0139	-0.0044	0.0251	$\ln(\tilde{c}'\bar{D} \bar{R})$
-0.0007	0.0171	-0.0035	0.0213	-0.0035	0.0311	$X \cos(\theta)$
-0.0226	-0.0352	-0.0018	0.0000	0.0044	-0.0129	$Y \cos(\phi)$

Why does no directivity parameter work with NGA residuals I have chosen?

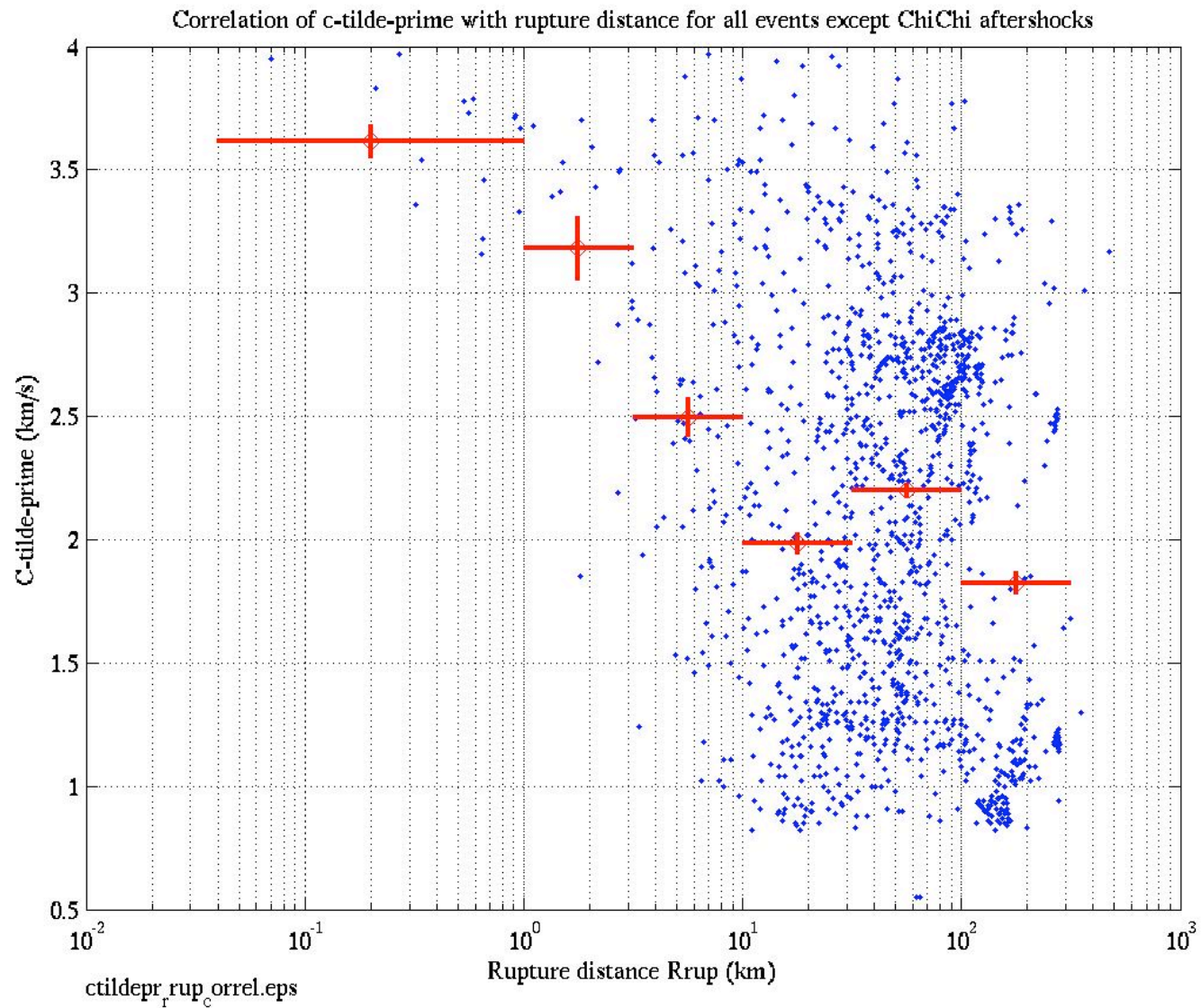
?? Maybe directivity only seen at large magnitude events ??

(I have not tried just large events. Easy to do.)

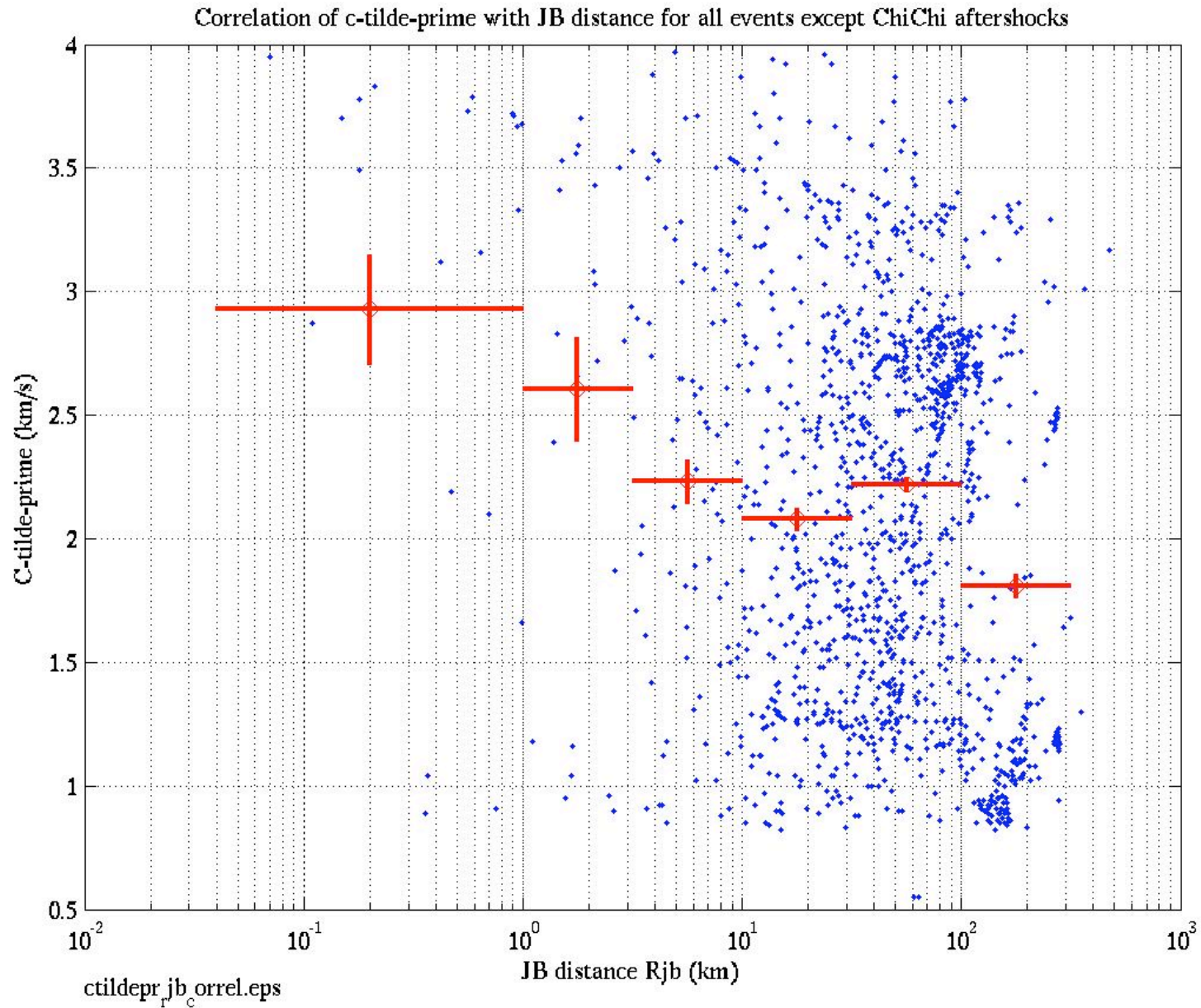
?? NGA developers' relations already fit a lot of the directivity that is near the fault??

?? Result depends excessively on choice of small number of earthquakes ??

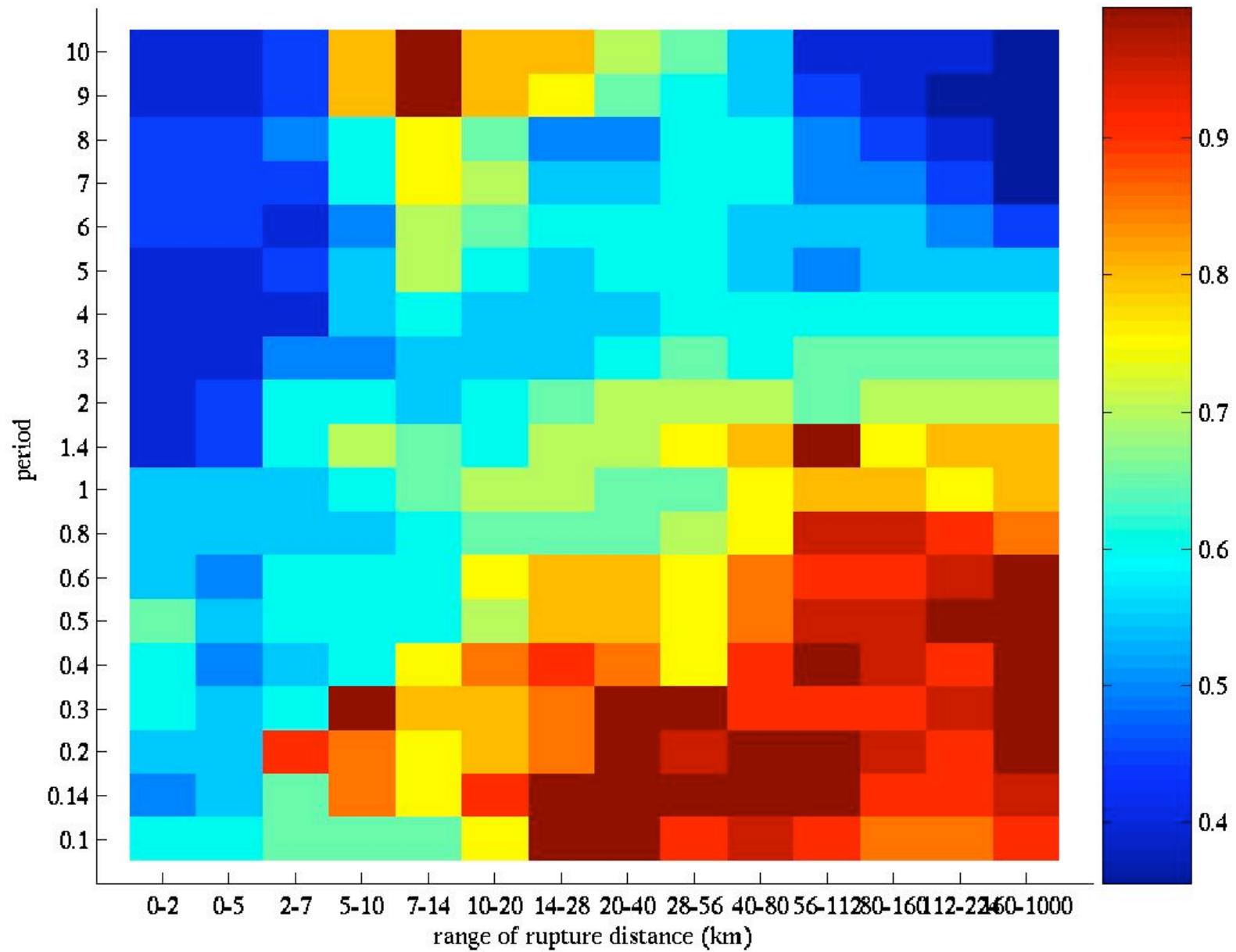
Correlation of $c\sim'$ with R_{rup}



Correlation of $c\sim'$ with R_{jb}

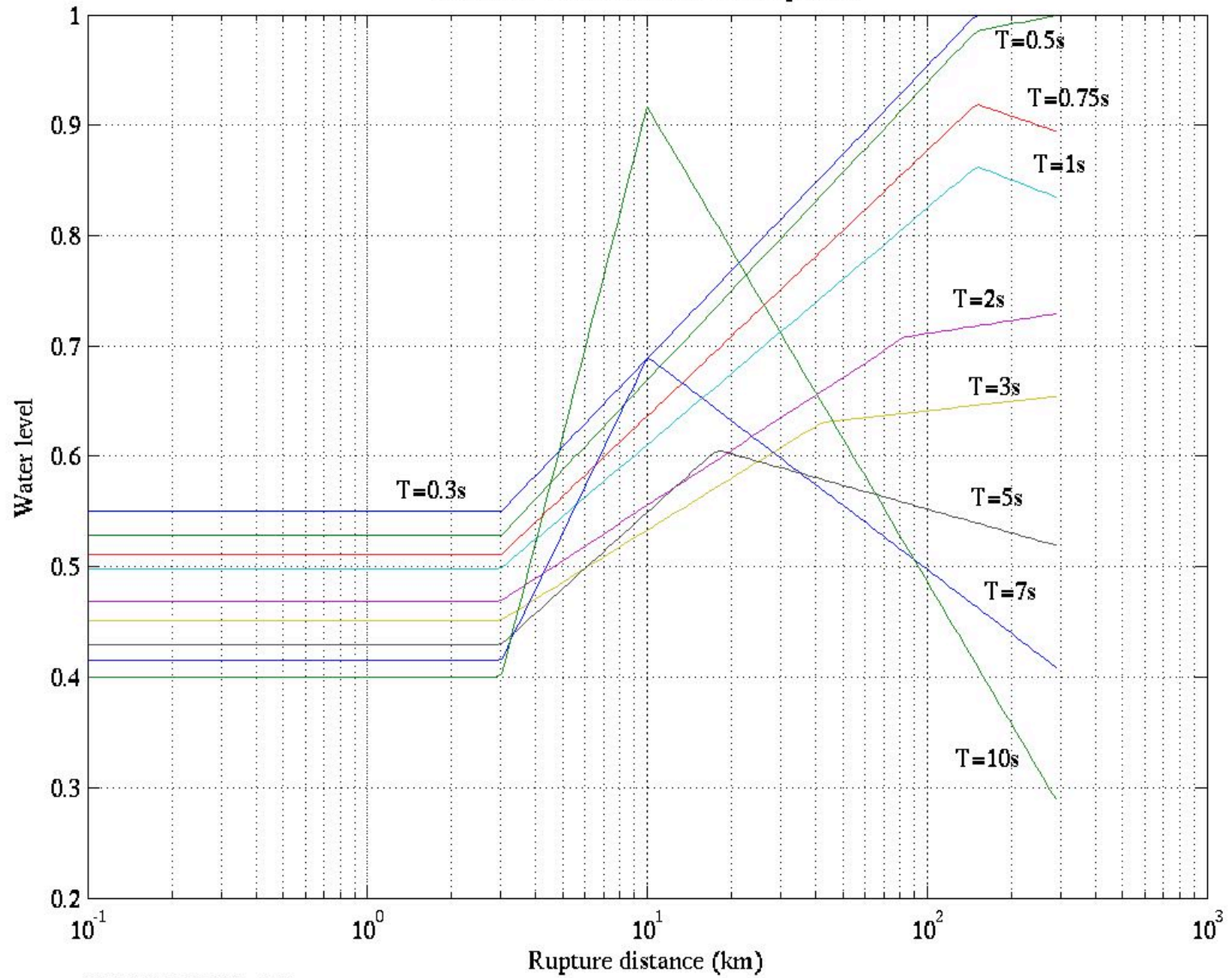


WL of min sdp, $0 < \text{dip} \leq 90$, R_h , for , minnumrecs=5, minmag=6,



2006-0905-1513-265.eps

Smoothed water level for various periods



Surprising correlation of intraevent residual (CB here) with magnitude of the radiation pattern!

